# Chi-Square Tests in Stata (with post-hoc)

Suppose we are interested to know whether there is a difference between 4 different schools on the proportion of students who are missing at least one class each week.

Here is a small snippet of the data:

Identification	School	ClassMissed
ID001	School A	0
ID002	School A	0
ID003	School D	1
ID004	School C	1

This data might be organized with a contingency table, which can be obtained with the code:

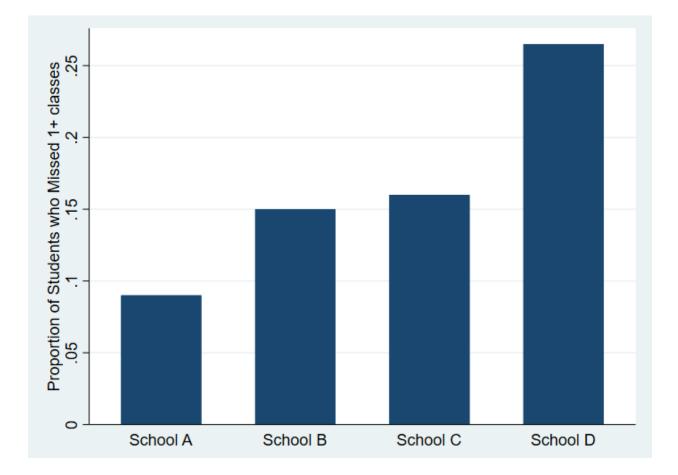
## tab ClassMissed School, row column cell

					Кеу
				entage centage	freque row perce column per cell perc
			x		
Total	School D	School C	School B	School A	У
667	147	168	170	182	0
100.00	22.04	25.19	25.49	27.29	
83.38	73.50	84.00	85.00	91.00	
83.38	18.38	21.00	21.25	22.75	
133	53	32	30	18	1
100.00	39.85	24.06	22.56	13.53	
16.63	26.50	16.00	15.00	9.00	
16.63	6.63	4.00	3.75	2.25	
800	200	200	200	200	Total
	25.00	25.00	25.00	25.00	
100.00				400.00	
100.00	100.00	100.00	100.00	100.00	

Notice that the explanatory variable (School) represents the columns of this output and whether or not school was missed (ClassMiss) is the response variable. As a reminder, it is always useful to report the percentages that condition on the explanatory variable. Here that means the conditional column percentages.

We can see that 9% of students who are at School A miss class, 15% of students who are at School B miss class, 16% of students who are at School C miss class, and 26.5% students who are School D miss class. Students at School D seem to be much more likely to miss class than students at any of the others schools. We can also see this with a bivariate bar chart:

#### graph bar ClassMissed, over(School)



Next, we will test the association

H0: There is no association between School and Classes Missed

HA: There is an association between School and Classes Missed

Since we have a categorical to categorical investigation, we will run a chi-square test.

Here is the code and corresponding output of the chi-square test in Stata:

		x				
	У	School A	School B	School C	School D	Total
_	0 1	182 18	170 30	168 32	147 53	667 133
_	Total	200	200	200	200	800
	Pe	earson chi2(3	3) = 22.89	68 Pr = 0	.000	

# tab ClassMissed School, chi2

• A chi-square test of independence revealed that missing class and school are significantly associated (X2=22.9, 3 df, p<0.001).

Great! Now our next logical step is to be able to decipher which schools are significantly different from one another. Since there are 4 schools, I want to compare A vs. B, A vs. C, A vs. D, B vs. C, B vs. D, and C vs. D. That is, I will need to compare 6 different combinations of schools.

This part can be a little tedious!

## tab ClassMissed School if School =="School A" | School =="School B", chi2

	) ×	c		
У	School A	School B	Total	
0	182	170	352	
1	18	30	48	
Total	200	200	400	
Pe	earson chi2(1	L) = 3.409	91 Pr = 0.	<b>0</b> 65

	>	c	
У	School A	School C	Total
0	182	168	350
1	18	32	50
Total	200	200	400
P	earson chi2(1	l) = <b>4.48</b> 0	00 Pr = 0.034

tab ClassMissed School if School =="School A" | School =="School C", chi2

tab ClassMissed School if School =="School A" | School =="School D", chi2

v	-	x School D	Total
0	182	147	329
1	18	53	71
Total	200	200	400

Pearson chi2(1) = 20.9769 Pr = 0.000

tab ClassMissed School if School =="School B" | School =="School C", chi2

	3		
У	School B	School C	Total
0	170	168	338
1	30	32	62
Total	200	200	400
Pe	earson chi2(1	L) = 0.076	54 Pr = 0.782

tab ClassMissed School if School =="School B" | School =="School D", chi2

	x			
У	School B	School D	Total	
0	170	147	317	
1	30	53	83	
Total	200	200	400	

Pearson chi2(1) = 8.0423 Pr = 0.005

tab ClassMissed School if School =="School C" | School =="School D", chi2

	) s		
У	School C	School D	Total
0	168	147	315
1	32	53	85
Total	200	200	400
Pe	earson chi2(1	L) = 6.588	82 Pr = 0.010

Since I ran a separate chi-square test on each pair – my overall Type I error across all of those tests will increase beyond my .05 limit. Therefore, I will need to implement a Bonferonni adjustment on the alpha level of .05 to control for this error!

The Bonferonni adjustment will require us to divide our alpha level by the total number of pairwise tests we ran. In this case, we ran 6 different tests for all possible comparisons. Therefore, I will be checking to see which tests have a p-value less than .0083.

 Post hoc comparisons of rates of missing class by pairs of schools revealed that School D had significantly higher rates of students missing class than School B and School A. All other schools were not found to differ significantly.

(Side note: When we run an ANOVA test and our explanatory variable has more than 2 levels, we may also need to do a post-hoc test. For ANOVA Stata has a command that automates this process entirely. It runs a separate test for each pair AND adjusts the p-values. This means that when we are running a post-hoc in ANOVA, we still compare it against the .05 level for each test when we use the "sidak" argument. Please note: You could alternatively run each pairwise test yourself and compare it against

.05/number of comparisons. That is, the Bonferonni adjustment can be used for ANOVA as well. It is just more work to do so).